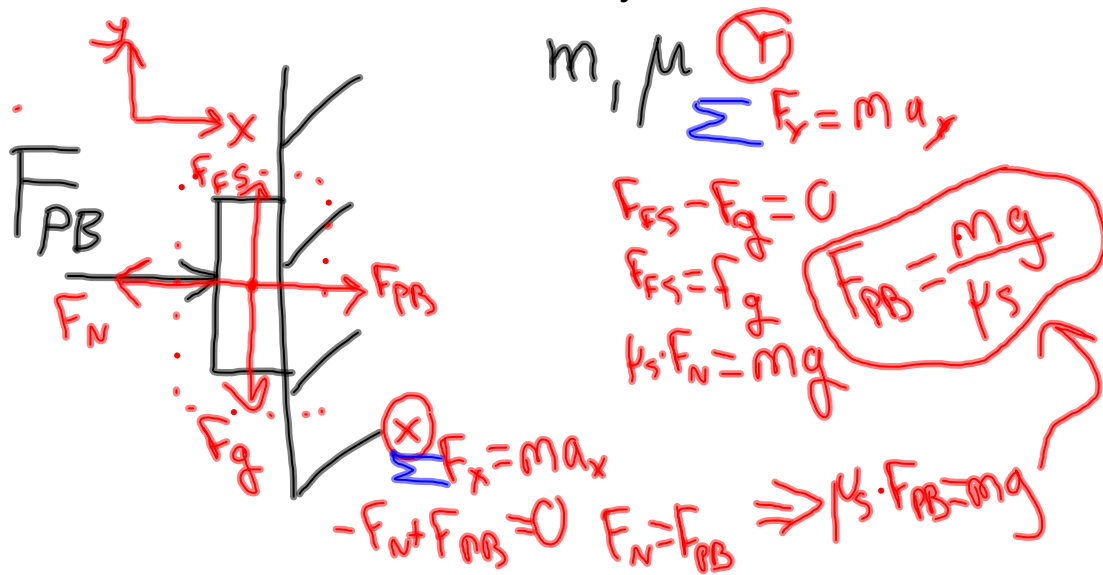


1. What is the minimum force on a person on book  $F_{PB}$ , which has to be applied horizontally so the book does not slip down along a vertical wall? Derive the  $F_{PB}$  in terms of the mass of the book, coefficient of friction, and any universal constants.



Dec 8-7:42 AM

$$F_{PB} = \frac{m \cdot g}{\mu_s}$$

Dec 8-8:09 AM

# HOOKE'S LAW.

$$F_{\text{SPR}} = -k \Delta x$$

$F_{\text{SPR}}$  = FORCE OF THE SPRING

$k$  = SPRING COEFFICIENT  $\left[ \frac{\text{N}}{\text{m}} \right]$

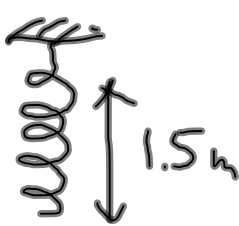
$\Delta x$  = CHANGE IN LENGTH

$-$   $F_{\text{SPR}}$  IS ALWAYS IN THE OPPOSITE

Dec 8-8:17 AM

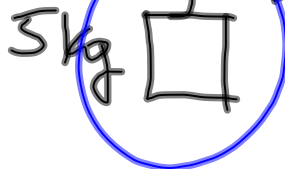
DIRECTION TO  $\Delta x$ .

(ex.1)

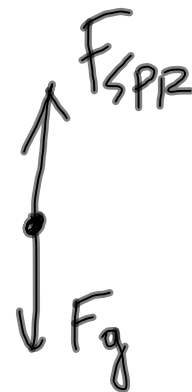


$k = ?$

$$F_{\text{SPR}} = -k \Delta x$$



$$g = 10 \frac{\text{m}}{\text{s}^2}$$



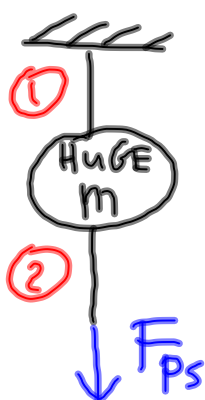
Dec 8-8:20 AM

$$50 = -k(1.5)$$
$$| \quad k = -33.3 \frac{N}{m}$$

Dec 8-8:27 AM

HW

Which string breaks first 1 or 2?

CASE A $F_{PS}$  is a FAST jerk down.CASE B $F_{PS}$  is a very SLOW pull down.

Dec 8-8:32 AM

COMBO PROBLEMS. (D+K)

$m = 10 \text{ kg}$   
 $g = 10 \frac{\text{m}}{\text{s}^2}$

$V_F = 0$

$V_0 = 6 \frac{\text{m}}{\text{s}}$   $\Delta x$

$\mu_k = 0.60$

$h = ?$

$30^\circ$

$h_0 = 0$

Dec 8-8:39 AM

$$\begin{cases} \textcircled{x} & -F_{gx} - F_{Fk} = m a_x \\ \textcircled{y} & F_N - F_{gy} = 0 \end{cases}$$

$$\begin{cases} -F_g \sin 30^\circ - \mu F_N = m a_x \\ F_N = F_{gy} \end{cases}$$

$$-50 - 86.6 \mu_k = 10 a_x$$

$$a_x = -10.2 \frac{\text{m}}{\text{s}^2}$$

Dec 8-8:53 AM

KINEMATICS. FIND  $\Delta x$  (INCL. PLANE)  
 THEN FIND  $h$  FROM TRIG.

$$\left\{ \begin{array}{l} V_0 = 6 \frac{\text{m}}{\text{s}} \\ V = 0 \\ a_x = -10.2 \frac{\text{m}}{\text{s}^2} \\ \Delta x = ? \\ t = ? \end{array} \right. \quad \begin{array}{l} \Delta x = \frac{V^2 - V_0^2}{2 \cdot a_x} \\ \Delta x = \frac{0^2 - 6^2}{2(-10.2)} \\ \Delta x = 1.76 \text{ m} \end{array}$$

Dec 8-8:57 AM

FROM TRIG.  $\sin 30^\circ = \frac{h}{\Delta x}$

$$h = \Delta x \cdot \sin 30^\circ$$

$$\boxed{h = 0.88 \text{ m}}$$

Dec 8-9:07 AM